## Appendix 1: <br> Pictures of prime numbers for complex UFD

The pictures show the quadratic character and a picture of prime numbers and units for the complex quadratic fields whose domain of integers is a unique-factorization domain, namely
the fields of discriminant congruent 0 modulo 4:

$$
\mathrm{Q}(\sqrt{ }-1), \mathrm{Q}(\sqrt{ }-2)
$$

and the fields of discriminant congruent 1 modulo 4 :

$$
Q(\sqrt{ }-3), Q(\sqrt{ }-7), Q(\sqrt{ }-11), Q(\sqrt{ }-19), Q(\sqrt{ }-43), Q(\sqrt{ }-67), Q(\sqrt{ }-163)
$$







|  |  |  |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

