Baroni & Zamparelli

Nouns are vectors, adjectives are matrices Representing adjective-noun constructions in semantic space

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Overview

Formal semantics vs distributional semantics

- Compositionality
- Treatment of adjectives

Sanne: Guevara's model

Adjectives as linear maps

- Idea: using co-occurrence information
- Implementation and experimental setup

Evaluation

- Predicting adjective noun vectors
- Comparing adjectives

The two frameworks have opposing strengths and weaknesses:

Distributional Semantics

+ meaning as an abstraction over distributional information

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Treatment of adjectives in formal semantics



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Treatment of adjectives in formal semantics



 $[\![\operatorname{black}\,\operatorname{cat}\,]\!] = [\![\operatorname{black}\,]\!] \cap [\![\operatorname{cat}\,]\!]?$

But what about *fake*, *large* — and ultimatively even *black*?

Most adjectives are non-intersective.

Account for their meaning variation by viewing them as a *function*!

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In contrast to Guevara (2010):

The A matrices are specific to a single adjective.

Experimental setup

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 - co-occurrence matrix with sentence-internal co-occurrence counts
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 - dimensionality reduction by Singular Value Decomposition: 40,999 \times 300 matrix
 - semantic space also populated by adjectives and nouns not included in the AN test set



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- Evaluate the system based on this:
 - 1) compute cosine of the predicted \overrightarrow{AN} vector with all of the 41K vectors populating the semantic space
 - 2 rank these vectors by the obtained cosine values
 - ${}^{\scriptsize 69}$ for each of the 26K observed \overrightarrow{AN} vectors, check its position in the ranking

Predicting adjective noun vectors

method	25%	median	75%
alm	17	170	$\geq 1 \mathrm{K}$
add	27	257	$\geq 1K$
noun	72	448	$\geq 1K$
mult	279	$\geq 1K$	$\geq 1K$
slm	629	$\geq 1K$	$\geq 1K$
adj	$\geq 1K$	$\geq 1K$	$\geq 1K$

Table 3: Quartile ranks of observed ANs in cosine-ranked lists of predicted AN neighbors.

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However...

For 27% of the *alm*-predicted \overrightarrow{AN} vectors, the observed \overrightarrow{AN} vector is not in the top-1K neighbourset.



In more detail...

The best results were obtained for high frequent adjectives:

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The best results were obtained for high frequent adjectives:

new, great, American, large, different...

- new, large, different: highly polysemous, bordering on function words!
- > Can the model capture the polysemous nature of adjectives?
- Ideally, adjective meanings would arise only in combination with the noun they modify. Recall Pustejovsky's Generative Lexicon!

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- Example: green could map concrete features to colour dimensions and abstract features to political dimensions

$$\begin{pmatrix} \omega_{\alpha 11} & \omega_{\alpha 12} & \omega_{\beta 13} & \omega_{\beta 14} & \omega_{\beta 15} \\ \omega_{\alpha 21} & \omega_{\alpha 22} & \omega_{\beta 23} & \omega_{\beta 24} & \omega_{\beta 25} \\ \omega_{\alpha 31} & \omega_{\alpha 32} & \omega_{\beta 33} & \omega_{\beta 34} & \omega_{\beta 35} \\ \omega_{\alpha 41} & \omega_{\alpha 42} & \omega_{\beta 43} & \omega_{\beta 44} & \omega_{\beta 45} \\ \omega_{\alpha 51} & \omega_{\alpha 52} & \omega_{\beta 53} & \omega_{\beta 54} & \omega_{\beta 55} \end{pmatrix} \qquad \begin{pmatrix} \alpha_1 \\ \alpha_2 \\ 0 \\ 0 \\ 0 \\ 0 \end{pmatrix} \qquad \begin{pmatrix} 0 \\ 0 \\ \beta_1 \\ \beta_2 \\ \beta_3 \end{pmatrix}$$

$$\overrightarrow{\text{green}} \qquad \overrightarrow{\text{chair}} \qquad \overrightarrow{\text{initiative}}$$

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1	$\omega_{\alpha 11}$	$\omega_{\alpha 12}$	$\omega_{\beta 13}$	$\omega_{\beta 14}$	$\omega_{\beta 15}$	$\left(\alpha_{1}\right)$	$\int 0$
	$\omega_{\alpha 21}$	$\omega_{\alpha 22}$	$\omega_{\beta 23}$	$\omega_{\beta 24}$	$\omega_{\beta 25}$	α_2	0
	$\omega_{\alpha 31}$	$\omega_{\alpha 32}$	$\omega_{\beta 33}$	$\omega_{\beta 34}$	$\omega_{\beta 35}$	0	β_1
	$\omega_{\alpha 41}$	$\omega_{\alpha 42}$	$\omega_{\beta 43}$	$\omega_{\beta 44}$	$\omega_{\beta 45}$		β_2
	$\omega_{\alpha 51}$	$\omega_{\alpha 52}$	$\omega_{\beta 53}$	$\omega_{\beta 54}$	$\omega_{\beta 55}$		$\langle ho_{\sharp}$
			green			chair	initia

tive

Problematic cases...

- often attributable to anomalous observed \overrightarrow{AN} vectors
- model is worse at approximating the \overrightarrow{AN} vectors of rare adjectives

SIMILAR				DISSIMILAR	
adj N	obs. neighbor	pred. neighbor	adj N	obs. neighbor	pred. neighbor
common understanding	common approach	common vision	American affair	Am. development	Am. policy
different authority	diff. objective	diff. description	current dimension	left (a)	current element
different partner	diff. organisation	diff. department	good complaint	current complaint	good beginning
general question	general issue	same	great field	excellent field	gr. distribution
historical introduction	hist. background	same	historical thing	different today	hist. reality
necessary qualification	nec. experience	same	important summer	summer	big holiday
new actor	new cast	same	large pass	historical region	large dimension
recent request	recent enquiry	same	special something	little animal	special thing
small drop	droplet	drop	white profile	chrome (n)	white show
young engineer	young designer	y. engineering	young photo	important song	young image

Table 4: Left: nearest neighbors of observed and *alm*-predicted ANs (excluding each other) for a random set of ANs where rank of observed w.r.t. predicted is 1. Right: nearest neighbors of predicted and observed ANs for random set where rank of observed w.r.t. predicted is $\geq 1K$.



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Two methods:

1 represent adjective by the centroid of all \overline{AN} vectors containing the adjective

American adult, American menu... ~ American N centroid

 $_{\odot}$ unfold 300 \times 300 matrix into 90K-dimensional vector

Comparing adjectives

Does this capture semantic similarity?

Clustering adjectives:

white	nice	recent	big
black	excellent	new	huge
red	important	current	little
green	major	old	small
	appropriate	young	large

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Results:

input	purity
matrix	73.7 (68.4-94.7)
centroid	73.7 (63.2-94.7)
vector	68.4 (63.2-89.5)
random	45.9 (36.8-57.9)

Table 5: Percentage purity in adjective clustering with bootstrapped 95% confidence intervals.

Conclusion

- adjectives representable as matrices
- in line with their formal semantics treatment as functions
- learnable from co-occurrence data of adjective-noun pairs
- reliable predictions for adjective-noun vectors
- adjectives still comparable with regard to semantic similarity

- Can we really use centroids to represent polysemous adjectives?
- Is the model limited to attributive adjectives, or can it also be applied to predicative constructions?
- Baroni and Zamparelli claim that the model can naturally deal with recursion. They do not explicitly test this, though. So, can it?

References

- Marco Baroni & Roberto Zamparelli (2010). Nouns are vectors, adjectives are matrices: Representing adjective-noun constructions in semantic space. In: *Proceedings of the 2010 Conference on Empirical Methods in Natural Language Processing*. pp. 1183–1193. ACL.
- Emiliano Raúl Guevara (2010): A regression model of adjective-noun compositionality in distributional semantics. In: Proceedings of the 2010 Workshop on Geometrical Models of Natural Language Semantics. pp. 33–37. ACL.