

# A Regression Model of Adjective-Noun Compositionality in Distributional Semantics

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# Overview

① Introduction

② Model

③ Experimental setup

④ Evaluation

⑤ Conclusion

# Compositionality of Meaning

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Introduction

Model

Experimental  
setup

Evaluation

Conclusion

Three models are begin compared:

- Vector addition  
 $v1_i + v2_i = v3_i$
- Point-wise mulitplication  
 $v1_i \times v2_i = v3_i$
- Partial Least Squares Regression (PLSR)

# PLSR

- Multivariate regression technique
- Very suitable for problems high dimensionality and limited data
- Robust against overtraining
- Some dimensions contribute more than others

# PLSR

- Function mapping of two vectors
- Each dimension is important
- We use adjective and noun as predictors and the observed pair as dependent variable

- British National Corpus
- 1380 Adjective-Noun pairs with frequency  $>400$   
e.g. *nice\_house*
- Vector space with 40,000 most frequent tokens
- Resulting in a  $40,000 \times 500$  matrix
- Training set of 1000 pairs, test set of 380 pairs
- $v1 = nice$ ,  $v2 = house$  and  $v3 = nice\_house$

Euclidian distance between predicted vectors and observed vectors

	Min.	1st Q.	Median	Mean	3rd Q.	Max.
ADD	0.877	1.402	1.483	1.485	1.570	1.814
MUL	0.973	0.998	1.002	1.002	1.005	1.019
PLSR	0.624	0.805	0.856	0.866	0.919	1.135

Table 1: Summary of distance values between the 380 observed A-N pairs and the predictions from each model (ADD=additive, MUL=multiplicative, PLSR=Partial Least Squares Regression).

For each A-N pair in the test set the 10 nearest neighbours in the whole subspace are determined

	1	2	3	4	5	6	7	8	9	10	Tot.
ADD	0	0	0	0	0	0	0	0	0	0	0
MUL	0	1	0	2	1	0	0	0	0	0	4
PLSR	94	51	24	18	10	7	7	5	2	1	219

Table 2: Nearest predicted neighbours and their positions in the top-10 list.



# Predicting Neighbours

- For each A-N pair the 10 nearest neighbours are determined
- This is very restricting!
- For each A-N pair the nearest prediction neighbours are determined as well
- For each prediction you check if this shares a top-10 neighbour with the gold standard

## Predicting Neighbours

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Introduction

Model

Experimental  
setup

Evaluation

Conclusion

	Shared Neigh.	Predicted Neigh.	Total
<b>ADD</b>	48	577	625
<b>MUL</b>	0	37	37
<b>PLSR</b>	0	263	263
<b>Not shared:</b>			6,675

Table 3: Shared neighbours with respect to the gold standard and shared predicted neighbours.

## Predicting Neighbours

	ADD	MUL	PLSR	OBS
ADD	2,144 (56%)	–	–	–
MUL	59 (1%)	3,800 (100%)	998 (26%)	1,555 (40%)
PLSR	1,472 (38%)	–	2,802 (73%)	2,190 (57%)
OBS	125 (3%)	–	–	55 (1%)

Table 4: Origins of neighbours in each models' top-10 list of neighbours extracted from the full space composed of observations and predictions ( $380 \times 4 = 1,440$  items) (ADD=additive, MUL=multiplicative, PLSR=Partial Least Squares Regression, OBS=observed vectors) .

- This method is not tried before in this field
- For combining adjectives and nouns this gives good results
- For the second evaluation the results are mixed, the additive model works better here.

## Future research

- Develop better evaluation methods
- Extending experiments to other techniques
- *Any semantic relation instantiated by any syntactic structure could be learned if sufficient data is provided*

# Bibliography

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